DecAug: Out-of-Distribution Generalization via Decomposed Feature Representation and Semantic Augmentation

Haoyue Bai ^{1*†}, Rui Sun ^{2†}, Lanqing Hong ², Fengwei Zhou ², Nanyang Ye ^{3‡}, Han-Jia Ye ⁴, S.-H. Gary Chan ¹, Zhenguo Li ²

¹ The Hong Kong University of Science and Technology

² Huawei Noah's Ark Lab

³ Shanghai Jiao Tong University

⁴ Nanjing University

{hbaiaa, gchan}@cse.ust.hk, {sun.rui3, honglanqing, zhoufengwei, li.zhenguo}@huawei.com ynylincoln@sjtu.edu.cn, yehj@lamda.nju.edu.cn

Abstract

While deep learning demonstrates its strong ability to handle independent and identically distributed (IID) data, it often suffers from out-of-distribution (OoD) generalization, where the test data come from another distribution (w.r.t. the training one). Designing a general OoD generalization framework for a wide range of applications is challenging, mainly due to different kinds of distribution shifts in the real world, such as the shift across domains or the extrapolation of correlation. Most of the previous approaches can only solve one specific distribution shift, leading to unsatisfactory performance when applied to various OoD benchmarks. In this work, we propose DecAug, a novel decomposed feature representation and semantic augmentation approach for OoD generalization. Specifically, DecAug disentangles the category-related and context-related features by orthogonalizing the two gradients (w.r.t. intermediate features) of losses for predicting category and context labels, where category-related features contain causal information of the target object, while contextrelated features cause distribution shifts between training and test data. Furthermore, we perform gradient-based augmentation on context-related features to improve the robustness of learned representations. Experimental results show that DecAug outperforms other state-of-the-art methods on various OoD datasets, which is among the very few methods that can deal with different types of OoD generalization challenges.

Introduction

Deep learning has demonstrated superior performances on standard benchmark datasets from various fields, such as image classification (Krizhevsky, Sutskever, and Hinton 2012), object detection (Redmon et al. 2016), natural language processing (Devlin et al. 2019), and recommendation systems (Cheng et al. 2016), assuming that the training and test data are independent and identically distributed (IID). In practice, however, it is common to observe distribution shifts among

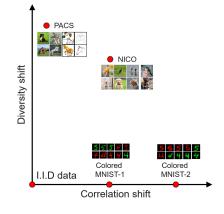


Figure 1: Illustration of the two-dimensional OoD shifts among datasets in different OoD research areas, including Colored MNIST, PACS, and NICO. Extensive experiments showed that many OoD methods can only deal with one dimension of OoD shift.

training and test data, which is known as out-of-distribution (OoD) generalization. How to deal with OoD generalization is still an open problem.

To improve a DNN's OoD generalization ability, diversified research endeavors are observed recently, which mainly includes domain generalization, invariant risk minimization, and stable learning. Various benchmark datasets are adopted to evaluate the proposed OoD generalization algorithms, such as Colored MNIST (Arjovsky et al. 2019), PACS (Li et al. 2017a), and NICO (He, Shen, and Cui 2020). Among these datasets, PACS are widely used in domain generalization (Carlucci et al. 2019; Mancini et al. 2020) to validate DNN's ability to generalize across different image styles. On the other hand, in recent risk regularization methods, Colored MNIST is often considered (Arjovsky et al. 2019; Ahuja et al. 2020; Krueger et al. 2020; Xie et al. 2020), where distribution shift is introduced by manipulating the correlation between the colors and the labels. In stable learning, another OoD dataset called NICO was intro-

^{*}This work was done while intern at Huawei Noah's Ark Lab.

[†]Equal contribution.

[‡]Corresponding author.

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Figure 2: Typical examples of out-of-distribution correlation shift data from the Colored MNIST dataset.

duced recently (He, Shen, and Cui 2020), which contains images with various contexts. Along with this dataset, an OoD learning method, named CNBB, is proposed, based on sample re-weighting inspired by causal inference.

In this paper, we observe that methods perform well in one OoD dataset, such as PACS, which may show very poor performance on another dataset, such as Colored MNIST, as shown in our experiments (see experimental results in Sec.). That may because of the different types of OoD shifts. Here, we identify two types of out-of-distribution factors, including the correlation shift and the diversity shift.

Correlation shift. One is the correlation shift, which means that labels and environments are correlated and the relations change across different environments. For example, in Fig. 2, we observe the correlation shift between the training set and the test set in Colored MNIST. Specifically, in training set, the number 5 is usually in green while the number 4 is usually in red. However, in test set, the number 5 tends to be in red while the number 4 tends to be in green. If a model learns color green to predict label 5 when training, it would suffer from the correlation shift when testing.

Diversity shift. Another out-of-distribution factor is the diversity shift. For example, in PACS, the data come from four different domains: photo, art painting, cartoon and sketch. Data in different domains have significantly different styles. Usually, we leave one domain out as the test set, and the remaining three domains as the training set. The model trained on the training set would susceptible to the diversity shift on the test set. See Fig. 3 as an illustration.

Two-dimension OoD shifts. Data in actual scenarios usually involve two different OoD factors simultaneously. For example, in NICO (Fig. 4), different contexts such as "in cage", "in water", and "on grass" lead to diversity shift, while some contexts are related to specific categories, such as a bird would be "in hand" and a dog may be "at home". We also put datasets from multiple research areas on the same axis (Fig. 1), the X-axis denotes the correlation shift which controls the contribution proportions of correlated features, the Y-axis denotes the diversity shift which stands for the change of feature types. Specifically, in the Colored MNIST dataset, the correlation between color and label is high, while in the PACS, the style of images is more diverse. In the NICO, both correlation shift and diversity shift exist.

To handle different OoD factors simultaneously, we propose DecAug, a novel decomposed feature representation and semantic augmentation approach for OoD generalization. Specifically, our method first decomposes the highlevel representations of input images into category-related and context-related features by orthogonalizing the two gradients of losses for predicting category and context labels respectively. Here, category-related features are essential for

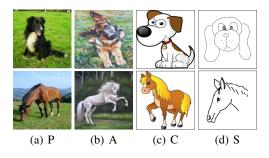


Figure 3: Typical examples of out-of-distribution diversity shift data from the PACS dataset. (a) Photo. (b) Art Painting. (c) Cartoon. (d) Sketch.



(a) In cage (b) In water (c) On grass (d) Others

Figure 4: Some examples of the two-dimensional out-ofdistribution data from the NICO dataset. Contexts such as "in cage", "in water" and "on grass" result in mini-domains in the dataset, suggesting the diversity shift among the data. On the other hand, specific contexts such as "in hand" are common for birds while is unusual for dogs. The category and context labels are correlated, indicating the correlation shift among data.

recognizing the category labels of the images, while contextrelated features are not essential for the recognition but correlated with the category labels. After obtaining the decomposed features, we do gradient-based semantic augmentation on context-related features, representing attributes, styles, backgrounds, or scenes of target objects, to disentangle the spurious correlation between features that are not essential for the recognition and category labels.

Our contributions are as follows:

- 1. We test OoD methods from diversified research areas and show that very often, they only deal with one special type of OoD generalization challenge.
- 2. We propose DecAug to learn disentangled features that capture the information of category and context respectively and perform gradient-based semantic augmentation to enhance the generalization ability of the model.
- 3. Extensive experiments show that our method consistently outperforms previous OoD methods on various types of OoD tasks. For instance, we achieve an average accuracy of 82.39% with ResNet-18 (He et al. 2016) on PACS (Li et al. 2017a), which is the state-of-the-art performance.

Related Work

In this section, we review literature related to risk regularization methods, domain generalization, stable learning, data augmentation and disentangled representation.

Risk regularization methods for OoD generalization. The invariant risk minimization (IRM, Arjovsky et al. (2019)) is motivated by the theory of causality and causal Bayesian networks (CBNs), aiming to find an invariant representation of data from different training environments. To make the model robust to unseen interventions, the invariant risk minimization added invariant risk regularization to monitor the optimality of a dummy classifier on different environments. IRM-Games (Ahuja et al. 2020) further improves the stability of IRM. Risk extrapolation (Rex, Krueger et al. (2020)) adopts a min-max framework to derive a model that can perform well on the worst linear combination of risks from different environments. These methods typically perform well on synthetic datasets, such as Colored MNIST. However, it is unknown how they can generalize on more complex practical datasets beyond MNIST classification tasks.

Domain generalization. Carlucci et al. (2019) proposed a self-supervised learning method for typical domain generalization datasets, such as PACS, by solving Jigsaw puzzles. Dou et al. (2019) adopted meta-learning to learn invariant feature representations across domains. Recently, Mancini et al. (2020) proposed the curriculum mixup method for domain generalization, in which data from multiple domains in the training dataset mix together by a curriculum schedule of mixup method. Domain generalization methods have achieved performance gain in generalizing models to unseen domains. However, recent OoD research finds that domain adaptation methods with similar design principles can have problems when training distribution is largely different from test distribution (Arjovsky et al. 2019).

Stable learning. Stable learning is a recently proposed new concept (Kuang et al. 2018), which focuses on learning a model that can achieve stable performances across different environments. The methodology of stable learning largely inherited from sampler reweighting in causal inference (Kuang et al. 2018; Shen et al. 2020; He, Shen, and Cui 2020). While these methods can have theoretical guarantees on simplified models, when confounder results in strong spurious correlations, this method may not be able to work well especially in the deep learning paradigm.

Data augmentation. Data augmentation has been widely used in deep learning to improve the generalization ability of deep models (Krizhevsky, Sutskever, and Hinton 2012; Srivastava, Greff, and Schmidhuber 2015; Han, Kim, and Kim 2017). Elaborately designed augmentation strategies, such as Cutout (DeVries and Taylor 2017), Mixup (Zhang et al. 2017), CutMix (Yun et al. 2019), and AugMix (Hendrycks et al. 2019), have effectively improved the performance of deep models. A more related augmentation method is to interpolate high-level representations. Upchurch et al. (2017) shows that simple linear interpolation can achieve meaningful semantic transformations. Motivated by this observation, Wang et al. (2019) proposes to augment deep features with random vectors sampled from class-specific normal distributions. Instead of augmenting the features explicitly, they

minimize an upper bound of the expected loss on augmented data. To tackle the few-shot learning problem, Hariharan and Girshick (2017) suggest training a feature generator that can transfer modes of variation from categories of a large dataset to novel classes with limited samples. To ease the learning from long-tailed data, Liu et al. (2020a) proposes to transfer the intra-class distribution of head classes to tail classes by augmenting deep features of instances in tail classes. Different from these approaches, our method performs gradientbased augmentation on disentangled context-related features to eliminate distribution shifts for various OoD tasks.

Disentangled representation. Disentangling the latent factors from the image variants is a promising way to provide an understanding of the observed data (Chen et al. 2016; Higgins et al. 2017; Ma et al. 2019). It aims to learn representations that separate the explanatory factors of variations behind the data. Such representations are more resilient to the complex variants and able to bring enhanced generalization ability (Liu et al. 2018; Peng et al. 2019). Disentangled representations are inherently more interpretable. How to obtain disentanglement is still a challenging problem. Shen and Zhou (2020) identifies latent semantics and examines the representation learned by GANs. Bahng et al. (2020) trains a de-biased representation by encouraging it to be different from a set of representations that are biased by design. In this paper, semantic vectors found by DecAug with orthogonal constraints are disentangled from each other in the feature space.

Methodology

To deal with the aforementioned two different types of distribution shifts simultaneously, we argue that it is critical to obtain the decomposed features, one is essential for predicting category and the other is not essential but correlated for recognition. In this section, we propose DecAug to learn decomposed high-level representations for the input data. The decomposition is achieved by orthogonalizing the two gradients of losses for predicting category and context labels respectively. To improve the generalization ability, we perform gradient-based semantic augmentation on contextrelated features and concatenate the augmented features to category-related features to make the final prediction. An overview of the proposed method is illustrated in Fig. 5.

Feature Decomposition

Consider an image recognition task with the training set $\mathcal{D} = \{(x_i, y_i, c_i)\}_{i=1}^N$, where x_i is the input image, y_i is the corresponding category label, c_i is the corresponding context label, and N is the number of training data. As shown in Fig. 5, the input data are mapped to the feature space and are decomposed into two branches: category branch and context branch. Given an input image x_i with category label y_i and context label c_i , let $z_i = g_{\theta}(x_i)$ be the features extracted by a backbone g_{θ} . For the category branch, z_i is decomposed into $z_i^1 = f_{\theta^1}(z_i)$ by a category feature extractor f_{θ^1} , followed by a classifier $h_{\phi^1}(z_i^1)$ to predict the category label. For the context branch, z_i is decomposed into $z_i^2 = f_{\theta^2}(z_i)$ by a context feature extractor f_{θ^2} , followed by a classifier

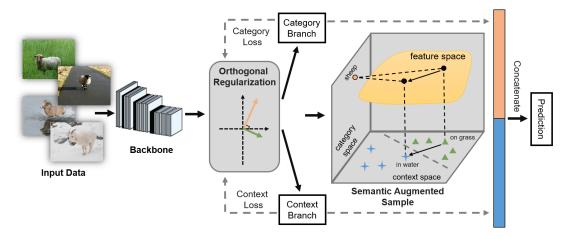


Figure 5: An overview of the proposed DecAug. The input features z extracted by the backbone are decomposed into categoryrelated and context-related features with orthogonal regularization. Gradient-based augmentation is then preformed in the feature space to get semantic augmented samples.

Algorithm 1 DecAug: Decomposed Feature Representation and Semantic Augmentation for OoD generalization

- **Input:** Training set \mathcal{D} , batch size *n*, learning rate β , hyperparameters ϵ , λ^1 , λ^2 , λ^{orth} .
- **Output:** θ , θ^1 , ϕ^1 , θ^2 , ϕ^2 , ϕ . 1: Initialize θ , θ^1 , ϕ^1 , θ^2 , ϕ^2 , ϕ ;
- 2: repeat
- Sample a mini-batch of images $\{(x_i, y_i, c_i)\}_{i=1}^n \subseteq \mathcal{D}$ 3: with batch size n;
- for each (x_i, y_i, c_i) do 4:
- 5:
- $z_i \leftarrow g_{\theta}(x_i);$ $\mathcal{L}_i^1(\theta, \theta^1, \phi^1) \leftarrow \ell(h_{\phi^1} \circ f_{\theta^1}(z_i), y_i);$ $\mathcal{L}_i^2(\theta, \theta^2, \phi^2) \leftarrow \ell(h_{\phi^2} \circ f_{\theta^2}(z_i), c_i);$ 6:
- 7:
- Compute $\mathcal{L}_{i}^{\text{orth}}(\theta^{1}, \phi^{1}, \theta^{2}, \phi^{2})$ according to Eq. (1); 8:
- Randomly sample α_i from [0, 1]; 9:
- 10:
- Generate \tilde{z}_i^2 according to Eq. (2); $\mathcal{L}_i^{\text{concat}}(\theta, \theta^1, \theta^2, \phi) \leftarrow \ell(h_{\phi}([f_{\theta^1}(z_i), \tilde{z}_i^2]), y_i);$ Compute \mathcal{L}_i according to Eq. (3); 11:
- 12:
- 13: end for

14:
$$(\theta, \theta^1, \phi^1, \theta^2, \phi^2, \phi) \leftarrow (\theta, \theta^1, \phi^1, \theta^2, \phi^2, \phi)$$

 $-\beta \cdot \nabla \frac{1}{n} \sum_{i=1}^n \mathcal{L}_i(\theta, \theta^1, \phi^1, \theta^2, \phi^2, \phi);$
15: **until** convergence;

 $h_{\phi^2}(z_i^2)$ to predict the context label. We use the standard cross-entropy losses $\mathcal{L}^1_i(\theta, \theta^1, \phi^1) = \ell(h_{\phi^1} \circ f_{\theta^1}(z_i), y_i)$ and $\mathcal{L}_{i}^{2}(\theta, \theta^{2}, \phi^{2}) = \ell(h_{\phi^{2}} \circ f_{\theta^{2}}(z_{i}), c_{i})$ to optimize these two branches, together with the backbone, respectively.

It is known that the direction of the non-zero gradient of a function is the direction in which the function increases most quickly, while the direction that is orthogonal to the gradient direction is the direction in which the function increases most slowly. To better decompose the features into categoryrelated and context-related features, we enforce the gradient of the category loss $\ell(h_{\phi^1} \circ f_{\theta^1}(z_i), y_i)$ to be orthogonal to the gradient of the context loss $\ell(h_{\phi^2} \circ f_{\theta^2}(z_i), c_i)$ with respect to z_i , such that the direction that changes the category

loss most quickly will not change the context loss from z_i and vice versa. Specifically, let $\mathcal{G}_i^1(\theta^1, \phi^1) = \nabla_{z_i} \ell(h_{\phi^1} \circ$ $f_{\theta^1}(z_i), y_i)$ and $\mathcal{G}_i^2(\theta^2, \phi^2) = \nabla_{z_i} \ell(h_{\phi^2} \circ f_{\theta^2}(z_i), c_i)$ be the gradients of the category and context loss with respect to z_i respectively. To ensure the orthogonality, we minimize the following loss:

$$\mathcal{L}_{i}^{\text{orth}}(\theta^{1},\phi^{1},\theta^{2},\phi^{2}) = \left(\frac{\mathcal{G}_{i}^{1}(\theta^{1},\phi^{1})}{\|\mathcal{G}_{i}^{1}(\theta^{1},\phi^{1})\|} \cdot \frac{\mathcal{G}_{i}^{2}(\theta^{2},\phi^{2})}{\|\mathcal{G}_{i}^{2}(\theta^{2},\phi^{2})\|}\right)^{2}.$$
 (1)

Semantic Augmentation

Considering that context-related features cause correlation or diversity shifts in our setting, we perform augmentation on the context-related features to eliminate such kind of distribution shifts. As in the semantic feature space, we may have multiple alternative directions for OoD. To ensure good performances across different environments, we postulate a worse case for the model to learn for OoD generalization by calculating the adversarially perturbed examples in the feature space. Specifically, let $\mathcal{G}_i^{\text{aug}} = \nabla_{z_i^2} \ell(h_{\phi^2}(z_i^2), c_i)$ be the gradient of the context loss with respect to z_i^2 . We augment the context-related features z_i^2 as follows:

$$\tilde{z}_i^2 = z_i^2 + \alpha_i \cdot \epsilon \cdot \frac{\mathcal{G}_i^{\text{aug}}}{\|\mathcal{G}_i^{\text{aug}}\|},\tag{2}$$

where ϵ is a hyper-parameter that determines the maximum length of the augmentation vectors and α_i is randomly sampled from [0, 1].

After augmenting the context-related features, we concatenate \tilde{z}_i^2 to the category-related features z_i^1 to make the final prediction $h_{\phi}([z_i^1, \tilde{z}_i^2])$, where h_{ϕ} is a classifier and $[z_i^1, \tilde{z}_i^2]$ is the concatenation of two features. We still use the standard cross-entropy loss $\mathcal{L}_i^{\text{concat}}(\theta, \theta^1, \theta^2, \phi) =$ $\ell(h_{\phi}([z_i^1, \tilde{z}_i^2]), y_i)$ to optimize the corresponding parameters. Together with the aforementioned losses, the final loss is then defined as

$$\mathcal{L}_{i}(\theta, \theta^{1}, \phi^{1}, \theta^{2}, \phi^{2}, \phi) = \mathcal{L}_{i}^{\text{concat}}(\theta, \theta^{1}, \theta^{2}, \phi) + \lambda^{1} \cdot \mathcal{L}_{i}^{1}(\theta, \theta^{1}, \phi^{1}) + \lambda^{2} \cdot \mathcal{L}_{i}^{2}(\theta, \theta^{2}, \phi^{2}) + \lambda^{\text{orth}} \cdot \mathcal{L}_{i}^{\text{orth}}(\theta^{1}, \phi^{1}, \theta^{2}, \phi^{2}),$$
(3)

where λ^1 , λ^2 and λ^{orth} are hyper-parameters that balance different losses. We formulate the learning of DecAug as the following optimization problem:

$$\min_{\theta, \theta^1, \phi^1, \theta^2, \phi^2, \phi} \frac{1}{N} \sum_{i=1}^{N} \mathcal{L}_i(\theta, \theta^1, \phi^1, \theta^2, \phi^2, \phi).$$
(4)

The stochastic gradient descent (SGD) algorithm can be applied to optimize the above objective. The detailed procedures are summarized in Algorithm 1.

Experiments

In this section, we will conduct numerical experiments to cross benchmark different methods from different perspectives of OoD research on different typically challenging and widely used datasets–Colored MNIST, NICO, and PACS.

Implementation Details and Datasets

We evaluate our method on three challenging OoD datasets with different levels of correlation shift and diversity shift as discussed above: Colored MNIST (Arjovsky et al. 2019), PACS (Li et al. 2017a), and NICO (He, Shen, and Cui 2020). The main task of DecAug is category classification subject to unseen data distributions. For PACS and Colored MNIST, the context labels are domain/environment IDs. For NICO, it is attributes. The metric is the top-1 category classification accuracy.

The Colored MNIST Dataset. The challenging Colored MNIST dataset was recently proposed by IRM (Arjovsky et al. 2019) via modifying the original MNIST dataset with three steps: 1) The original digits ranging from 0 to 4 were relabelled as 0 and the digits ranging from 5 to 9 were tagged as 1; 2) The labels of 0 have a probability of 25% to flip to 1, and vice versa; 3) The digits were colored either red or green based on different correlation with the labels to construct different environments (e.g., 80% and 90% for the training environments and 10% for the test environment). In this way, the classifiers will easily over-fit to the spurious feature (e.g., color) in the training environments and ignore the shape feature of the digits.

For a fair comparison, we followed the same experimental protocol as in IRM (Arjovsky et al. 2019) on the Colored MNIST dataset. We equipped the IRMv1 scheme with our DecAug approach using the same settings. The backbone network was a three-layer MLP. The total training epoch was 500 and the batch size was the whole training data. We used the SGD optimizer with an initial learning rate of 0.1. The trained model was tested at the final epoch.

The PACS Dataset. This dataset contains 4 domains (Photo, Art Painting, Cartoon, Sketch) with 7 common categories (dog, elephant, giraffe, guitar, horse, house, person). We followed the same leave-one-domain-out validation experimental protocol as in (Li et al. 2017a). For each time, we select three environments for training and the remaining environment for testing.

The backbone network we used on the PACS dataset was ResNet-18. We followed the same training, validation and test split as in JiGen (Carlucci et al. 2019). The number of training epochs was 100. The batch size was 64. We used the SGD optimizer with a learning rate of 0.02.

The NICO Dataset. This dataset contains 19 classes with 9 or 10 different contexts, i.e., different object poses, positions, backgrounds, and movement patterns, etc. The NICO dataset is one of the newly proposed OoD generalization benchmark in the real scenarios (He, Shen, and Cui 2020). The contexts in validation and test set will not appear in the training set.

The backbone network was ResNet-18 without pretraining on the NICO dataset. The number of training epochs was 500 and the batch size was 128. We used the SGD optimizer with a learning rate of 0.05.

We compare our proposed DecAug with the state-of-thearts, including empirical risk minimization (ERM), invariant risk minimization (IRM, Arjovsky et al. (2019)), invariant risk minimization games (IRM-Games, Ahuja et al. (2020)), model-agnostic learning of semantic features (MASF, Dou et al. (2019)), domain generalization by solving jigsaw puzzles (JiGen, Carlucci et al. (2019)) across multiple datasets, debiased training method (ReBias, Bahng et al. (2020)), risk extrapolation (Rex, Krueger et al. (2020)), and convnets with batch balancing (CNBB, He, Shen, and Cui (2020)).

Our framework was implemented with PyTorch 1.1.0, CUDA v9.0. For the baseline methods, we implement either with Pytorch 1.1.0 or with Tensorflow 1.8 to keep the same setting as their original source code. IRM, JiGen, ReBias, Rex, and CNBB¹ were implemented with Pytorch. IRM-Games and MASF were implemented with Tensorflow. We conducted experiments on NVIDIA Tesla V100. More implementation details can be found in the Appendix.

Results and Discussion

In this section, we evaluate and analyze the results of our approach on three datasets: Colored MNIST, PACS and NICO. These datasets represent different aspects of covariant shifts in OoD problems thus provide more thorough studies on OoD generalization compared with previous ones.

Illustrative Results on the Colored MNIST Dataset. As shown in Table 2, DecAug achieves the best generalization performance on Colored MNIST, followed by risk regularization methods, such as Rex and IRM. For typical domain generalization methods, such as JiGen, and the recently proposed method ReBias, are misled by the spurious correlation existing in the training datasets. Notice that DecAug's performance is very close to ERM trained on grayscale MNIST which provides an upper bound for MLP to generalize on this task. As mentioned in (Arjovsky et al. 2019), typical domain generalization methods can only deal with one dimension of OoD problem where image style differs. Our method further improves the performance in Colored MNIST by decomposition and semantic augmentation in the feature space, which disregards spurious features that are correlated but not causal for predicting category.

Illustrative Results on the PACS Dataset. In PACS, DecAug achieves the *state-of-the-art (SOTA)* performance followed by MASF and Cumix when using ResNet-18 as the backbone network. The details of our results on PACS are

¹The code of CNBB is from the authors of the paper.

Model	Art Painting	Cartoon	Sketch	Photo	Average
ERM (Carlucci et al. 2019)	77.85	74.86	67.74	95.73	79.05
IRM (Arjovsky et al. 2019) [*]	70.31	73.12	75.51	84.73	75.92
Rex (Krueger et al. 2020)*	76.22	73.76	66.00	95.21	77.80
JiGen (Carlucci et al. 2019)	79.42	75.25	71.35	96.03	80.51
DANN (Ganin et al. 2016)	81.30	73.80	74.30	94.00	80.80
MLDG (Li et al. 2017b)	79.50	77.30	71.50	94.30	80.70
CrossGrad (Shankar et al. 2018)	78.70	73.30	65.10	94.00	80.70
MASF (Dou et al. 2019)	80.29	77.17	71.69	94.99	81.03
Cumix (Mancini et al. 2020)	82.30	76.50	72.60	95.10	81.60
DecAug	79.00	79.61	75.64	<i>95.33</i>	82.39

* Implemented by ourselves.

Table 1: Classification accuracy of our approach trained considering leave-one-domain-out validation compared with the stateof-the-art methods on the PACS benchmark with the ResNet-18 backbone.

Model	Acc test env
ERM*	17.10 ± 0.6
IRM (Arjovsky et al. 2019)	66.90 ± 2.5
Rex (Krueger et al. 2020)	68.70 ± 0.9
F-IRMGames (Ahuja et al. 2020)	59.91 ± 2.7
V-IRMGames (Ahuja et al. 2020)	49.06 ± 3.4
ReBias (Bahng et al. 2020)*	29.40 ± 0.3
JiGen (Carlucci et al. 2019)*	11.91 ± 0.4
DecAug	69.60 ± 2.0
ERM, grayscale model(oracle)	73.00 ± 0.4
Optimal invariant model (hypothetical)	75.00

^{*} Implemented by ourselves.

Table 2: Results of our approach compared with different methods on the Colored MNIST dataset(mean \pm std deviation).

shown in Table 1. The worse performances for risk regularization methods, such as IRM and Rex, are because these methods add strong regularization terms in ERM to eliminate all features that are unstable across different environments. This can work well in the standard and "clean" dataset—-MNIST, where shapes of digits are always stable. However, in realistic scenarios, the shapes of target objects can change, meaning that even features for predicting object category can be unstable in different training environments.

Illustrative Results on the NICO Dataset. The recently proposed NICO dataset considers more realistic generalization scenarios, where objects themselves and the backgrounds, *i.e.*, contexts in the dataset, can change vastly. For example, in the training dataset, we have dog pictures on the grass with dog faces posed to the camera, while in the test dataset, there are pictures where dogs are moving on the beachside. In our implementation, CuMix achieved 76.78% (animal) and 74.74% (vehicle) accuracy on NICO, indicating that mixing up (interpolating) data may not able to correct the spurious correlation between irrelevant features such

Model	Animal	Vehicle
ERM*	75.87	74.52
IRM (Ahuja et al. 2020) [*]	59.17	62.00
Rex (Krueger et al. 2020)*	74.31	66.20
Cumix (Mancini et al. 2020)*	76.78	74.74
DANN (Ganin et al. 2016)*	75.59	72.23
JiGen (Carlucci et al. 2019)*	84.95	79.45
CNBB (He, Shen, and Cui 2020) *	78.16	77.39
DecAug	85.23	80.12

* Implemented by ourselves.

Table 3: Results of our method compared with different models on the NICO dataset.

as the background to the predicted category. In addition, DANN achieved 64.77% (animal) and 58.16% (vehicle) accuracy, which is similar to IRM. The poor performance of DANN and IRM on NICO may probably due to the diversity shift. As Table 3 shows, the proposed DecAug achieved the best generalization performances on two sets, followed by JiGen. This further demonstrates the superiority of the proposed algorithmic framework. *Our method has achieved the SOTA performance simultaneously on various OoD generalization tasks, indicating a new promising direction for OoD learning algorithm research.*

Ablation Studies and Sensitivity Analysis

For ablation studies and sensitivity analysis, we take the PACS dataset for example.

Effectiveness of orthogonal loss. We test the effects of the proposed orthogonal loss. The results are shown in Table 4. It can be seen that without the orthogonal loss, our method achieves an average accuracy of 80.77% that is higher than most of the methods in Table 1. This is because the category and context losses also play the role of feature decomposition. The additional orthogonal loss enforces the gradients of the category and context losses to be orthogonal to

Original image	 Y	WEITER CARD		TR	M	-
Category branch						
Context branch			2.			

Figure 6: The gradient visualization of the decomposed category-related and context-related high-dimensional features. The first row is the original input images, the second row is its corresponding back propagation of the category branch and the last row is the back propagation of the context branch.

PACS	Art Painting	Cartoon	Sketch	Photo	Average
DecAug without orth loss	78.42	78.32	72.13	94.19	80.77
DecAug (orth 0.0005)	77.49	77.43	74.32	94.07	80.76
DecAug (orth 0.001)	78.12	77.34	76.97	94.91	81.83
DecAug (orth 0.01)	79.00	79.61	75.64	95.33	82.39

Table 4: Ablation study on PACS with ResNet-18.

Model	Average
DecAug (DANN loss)	81.00
DecAug (orth between features)	79.90
DecAug (gradient-based orth)	82.39

Table 5: Results of DecAug variants on the PACS dataset.

each other, which helps to further decompose the features. As expected, with the increase of the orthogonal regularization coefficient λ^{orth} , the performance of DecAug can be improved. The experimental results confirm the effectiveness of the proposed orthogonal loss.

DecAug variants. We changed current orth regularization to orth constraints between features, refer to Table 5, which reaches 79.90% on PACS, lower than the original DecAug. We also tried confusion regularization, as discussed in recent literature Open Compound Domain Adaptation (Liu et al. 2020b). It seems natural to incorporate confusion regularization into our method for better decomposition. However, after many trials, no improvements were observed. We tried DecAug with DANN adversarial loss "orth" on PACS. As shown in Table 5, the result is around 81%, lower than the original. This shows both gradient orthogonalization and semantic augmentation are indispensable parts of the algorithm. We tried "adversarial augmentation" to Jigsaw, the result is much lower than Jigsaw. This shows that the two branch architecture is needed and adversarial augmentation is better performed on the context predicting branch to improve OoD generalization via challenging neural networks to unseen context information.

Interpretability analysis. We also use deep neural network interpretability methods in (Adebayo et al. 2018) to explain the neural network's classification decisions as shown in Figure 6. It can be seen that the saliency maps of the category branch focus more on foreground objects, while the saliency maps of the context branch are also sensitive to background contexts that contain domain information. This shows that our method well decomposes the high-level representations into two features that contain category and context information respectively. Later, by performing semantic augmentation on context-related features, our model breaks the inherent relationship between contexts and category labels and generalizes to unseen combinations of foregrounds and backgrounds.

Conclusions

In this paper, we propose DecAug, a novel decomposed feature representation and semantic augmentation method for various OoD generalization tasks. High-level representations for the input data are decomposed into categoryrelated and context-related features to deal with the diversity shift between training and test data. Gradient-based semantic augmentation is then performed on the context-related features to break the spurious correlation between context features and image categories. To the best of our knowledge, this is the first method that can simultaneously achieve the SOTA performance on various OoD generalization tasks from different research areas, indicating a new research direction for OoD generalization research. For future work, we will construct a large OoD dataset from the industry to further improve the algorithm and put it into real practice.

Acknowledgements

Nanyang Ye was supported in part by National Key R&D Program of China 2017YFB1003000, in part by National Natural Science Foundation of China under Grant (No. 61672342, 61671478, 61532012, 61822206, 61832013, 61960206002, 62041205), in part by the Science and Technology Innovation Program of Shanghai (Grant 18XD1401800, 18510761200), in part by Shanghai Key Laboratory of Scalable Computing and Systems.

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